this steel brick, in g/cm<sup>3</sup>.

## **Quiz #10**

Name:\_\_\_\_\_

## Use a pencil, not a pen.

## **Rotational Inertia**

- 1. A rectangular "brick" of steel has dimensions  $6 \text{ cm} \times 5 \text{ cm} \times 12 \text{ cm}$ . Determine its volume.
- 2. The mass of this brick is m = 2850 g. Determine the density " $\rho$ " of
- 3. For fun, convert this density into "regular" units of kg/m³. To see whether you did it right, Google the correct answer before submitting!
- 4. A certain steel cylinder has a diameter of 18 cm, and a thickness of 3 cm. Determine its volume. Note that diameter is not the same as radius. Feel free to Google the area of a circle...
- 5. The cylinder and the brick are made from the same kind of steel. Use two of your prior answers to determine the mass of the cylinder
- 6. The cylinder is made to rotate about its own axis. Determine the rotational inertia *I* of the cylinder. Again, note that diameter is not the same as radius!

A string is wrapped around the cylinder and tied to a small mass having  $m_{\rm H} = 100$  g. As  $m_{\rm H}$  falls, it causes the cylinder to rotate. A free body diagram of  $m_{\rm H}$  reveals that the tension in the string is  $T = m_{\rm H}g - m_{\rm H}a$ . Also,  $a = R\alpha_{\rm cylinder}$ , so  $T = m_{\rm H}g - m_{\rm H}R\alpha_{\rm cylinder}$ . The torque that makes the cylinder rotate is obviously just  $R \cdot T$ .

- 7. Use  $\Sigma \tau = I\alpha$  to get an expression (i.e., all symbols, no numbers) for  $\alpha$ . Be careful...  $\alpha$  is also hiding in the torque, so  $\alpha$  appears twice in this equation. You'll have to group them. Your symbolic answer should not use any numbers yet. Your expression for  $\alpha$  should have only the following
- 8. You already have numbers for those 4 things! So, use your formula to get a number for  $\alpha$ .

symbols in it: R,  $m_{\rm H}$ , g, and  $I_{\rm cylinder}$ .



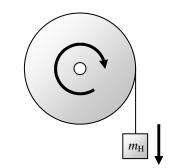
$$\rho_{\text{steel}} = \text{g/cm}^3$$

$$\rho_{\text{steel}} = \text{kg/m}^3$$

$$V_{\text{cylinder}} = \text{cm}^3$$

$$m_{\text{cylinder}} = g$$

$$I_{\text{cylinder}} = g \cdot \text{cm}^2$$





$$\alpha = \text{rad/s}^2$$